

Contents

The Variable Discrete Asymptotics in Pseudo-Differential Boundary Value Problems I	9
<i>B.-W. Schulze</i>	
Preface	9
1 The Variable Discrete Asymptotics	13
2 Green Boundary Symbols	28
3 Smoothing Mellin Boundary Symbols	48
4 Boundary Symbols	66
5 Sobolev Spaces with Variable Discrete Asymptotics	77
References	92
Boundary Value Problems in Boutet de Monvel's Algebra for Manifolds with Conical Singularities I	97
<i>E. Schrohe and B.-W. Schulze</i>	
Introduction	98
1 Manifolds with Conical Singularities	101
2 A Short Description of Boutet de Monvel's Algebra with and without Parameters	108
3 Weighted Sobolev Spaces with Asymptotics	138
4 Mellin Symbols with Values in Boutet de Monvel's Algebra	164
5 Appendix	193
References	208

A Characterization of the Uniform Transmission Property for Pseudo-differential Operators	210
<i>E. Schrohe</i>	
Introduction	210
1 Notation. Pseudodifferential Operators and the Transmission Property. Singular Green Operators and Wedge Sobolev Spaces	212
2 Boundedness of Pseudodifferential Operators on Sobolev Spaces and the Uniform Transmission Property	219
3 Characterization of the Pseudodifferential Operators with the Transmis- sion Property	224
References	232
Submultiplicativity of Boutet de Monvel's Algebra for Boundary Value Problems	235
<i>B. Gramsch and E. Schrohe</i>	
Introduction	235
1 Pseudodifferential Operators, the Transmission Property, Singular Green Operators, and Wedge Sobolev Spaces	238
2 Submultiplicativity of Boutet de Monvel's Algebra on the Half-Space .	241
3 Boutet de Monvel's Algebra on a Compact Manifold	246
4 Some Remarks on the Case of the Full Algebra	255
References	256
A Singular Elliptic Estimate and Applications	259
<i>M. Lesch</i>	
1 Introduction	259
2 A Comparison Principle for the Heat Kernel	261
3 The Singular Elliptic Estimate	269
4 Examples	270
References	276
Reduction and Eigenstates in Deformation Quantization	277
<i>B. V. Fedosov</i>	
1 Introduction	277
2 Quantization of Fibering Space	279
3 Construction of Reduced Algebra	285
4 Eigenstates and Traces	291
References	296

On the Spectral Theory of the Schrödinger Operator with Electromagnetic Potential	298	
<i>A. Mohamed and G. D. Raikov</i>		
1	Introduction	298
2	General Spectral Properties of the Schrödinger Operator with Electromagnetic Potential	302
3	The Essential Spectrum of the Operator $H(A, V)$	326
4	Asymptotic Behaviour of the Eigenvalues of the Operator $H(A, V)$ near Their Accumulation Points	336
5	Spectral Asymptotics for the Operator $H_{h,\mu,g}$ Corresponding to the Characteristic Behaviour of the Parameters h, μ and g	362
	References	383
 List of Authors		
391		