

TABLE OF CONTENTS

<u>Chapter I.</u>	<u>Linear maps.</u>	<u>.....</u>	<u>1</u>
§1.	Calibration.		3
§2.	Γ -continuous maps.		5
§3.	Γ -bounded elements.		10
§4.	Γ -open subsets.		18
<u>Chapter II.</u>	<u>Differentiation.</u>	<u>.....</u>	<u>21</u>
§1.	Definitions.		22
§2.	Elementary properties.		26
§3.	Chain rules.		33
<u>Chapter III.</u>	<u>Inverse mapping theorem.</u>	<u>.....</u>	<u>36</u>
§1.	Γ -balanced subsets.		36
§2.	Γ -contractions.		37
§3.	Differentiability of inverse maps.		40
§4.	Strict differentiability.		41
§5.	Inverse mapping theorems.		44
<u>Chapter IV.</u>	<u>Differential equations.</u>	<u>.....</u>	<u>47</u>
§1.	Restrictions to $B_{\Gamma}(E)$.		47
§2.	Some spaces of continuous functions.		48
§3.	Existence theorems.		52
<u>Chapter V.</u>	<u>Fredholm maps.</u>	<u>.....</u>	<u>57</u>
§1.	Splitting maps.		58
§2.	Critical sets.		61
§3.	Fredholm maps.		62
<u>Chapter VI.</u>	<u>Analytic maps.</u>	<u>.....</u>	<u>67</u>
§1.	Γ -polynomials.		69
§2.	Local Γ -boundedness.		70
§3.	Γ -analytic maps.		71
§4.	$B\Gamma$ -analytic maps.		73
<u>Appendix.</u>	<u>Manifolds.</u>	<u>.....</u>	<u>76</u>
References.			80